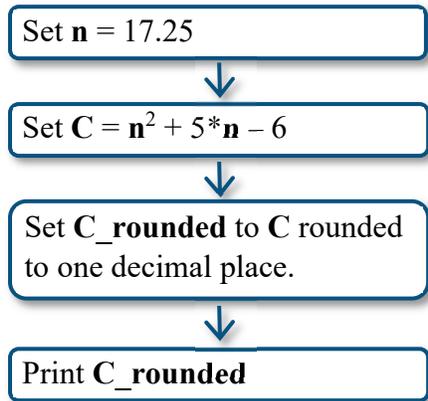
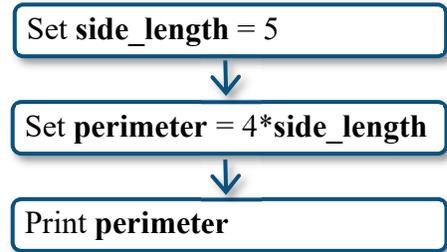


PART A

- 1) The blocks of code shown on the right are used to calculate the perimeter of a square.
 - a) What are the names of the variables used in this program?
 - b) Explain what is happening in each block of code.
 - c) What will be the output of the program when it is run?
 - d) How could the code be altered to calculate the perimeter of a regular octogon?



- 2) Consider the blocks of code shown on the left.
 - a) What are the names of the variables in this program?
 - b) Explain what is happening in each block of code.
 - c) What will be the output of the program when it is run?

```

1 # Set value for x.
2 x=3
3
4 # Calculate y.
5 y=6*x+5
6
7 # Print y.
8 print(y)
    
```

- 3) Consider the Python program shown on the right.
 - a) What is the purpose of the lines beginning with the # symbol? Are these lines necessary for the program to run?
 - b) What are the names of the variables used in this program?
 - c) What will be the output of the program when it is run?

PART B

- 4) Consider the Python program shown below, in which a company's profit is calculated based on the number of items sold using the equation $P = -0.1n^2 + 64n - 4340$.
 - a) What are the names of the variables used in this program?
 - b) What operation does `**2` indicate?
 - c) What is the purpose of line #8?
 - d) Predict the output of the program.
 - e) Copy the code into a Python editor and repeatedly alter the value assigned to n to determine the maximum profit for the given model (to the nearest dollar).
 - f) Modify the program so that the word *dollars* appears after the rounded profit value (on the same line).

```

1 # Set value for number of items sold.
2 n=200
3
4 # Calculate profit.
5 P=-0.1*n**2+64*n-4340
6
7 # Round the profit.
8 P_rounded=round(P)
9
10 # Print the profit.
11 print("The profit is:")
12 print(P_rounded)
    
```

- 5) While working at the top of a tower in a remote area, a technician discarded a broken part by throwing it to the ground below. The part's height above the ground (in metres), t seconds after it was released, is given by the equation $h = -4.9t^2 - 2t + 45$.



- d) Interpret the meaning of the final height value in the table.

- a) Create a Python program to help calculate the part's height above the ground, rounded to the nearest tenth of a metre (one decimal place). Use a time value of 1.5 seconds, but design your program so that the time can be quickly changed to calculate another height.

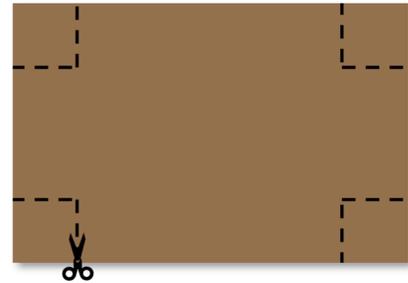
- b) Using your program, repeatedly change the time value to complete the table of values shown on the right (include the time values not shown between 0.4 and 2.6 as well).

- c) Use your completed table to estimate how long it takes for the part to hit the ground.

Time (sec)	Height (m)
0.0	45.0
0.2	44.4
0.4	43.4
⋮	⋮
2.6	
2.8	
3.0	

- 6) Julian wants to create a box by cutting squares out of the corners of a rectangular piece of cardboard and folding up the resulting flaps. He determined that if the square cutouts have a side length of s cm, the volume of the resulting box is given by the expression $4s^3 - 100s^2 + 600s$.

To investigate how he can achieve the greatest volume for the box, Julian created the following Python program to quickly calculate the box's volume, V , based on the side length of the square cutouts.



```

1  V=4s^3-100s^2+600s
2
3  s=2
4
5  print("Side length of square cutout: ",s,"centimetres")
6  print("Volume of box: ",V,"cubic centimetres")

```

- a) Julian's program resulted in several errors. Identify the cause of the errors.
b) What would the program's output be after the errors have been corrected?
c) Use a corrected version of Julian's program to determine the side length of the square cutouts that will give the box with the greatest volume.

PART C

- 7) A rectangle has a perimeter of 450 mm.
- Write a Python program to determine the length of the rectangle based on its width. Use a width of 150 mm, but design your program so that the width can easily be changed to calculate another length.
 - Modify your program such that the rectangle's area is displayed along with its length.
 - Modify your program such that only the rectangle's area is shown, but the area calculation is done in a single line.
 - Use your program to determine the maximum area of a rectangle with a perimeter of 450 mm. What are the dimensions of this rectangle?

ANSWERS

- 1) a) **side_length** and **perimeter**
 b) Block #1: The variable **side_length** is defined with an assigned value of 5.
 Block #2: The variable **perimeter** is defined as four times **side_length**.
 Block #3: The value of **perimeter** is displayed.
 c) 20 d) Redefine **perimeter** as $8 * \text{side_length}$.
- 2) a) **n**, **C** and **C_rounded**
 b) Block #1: The variable **n** is defined with an assigned value of 17.25.
 Block #2: The variable **C** is defined as $n^2 + 5 * n - 6$.
 Block #3: The variable **C_rounded** is defined as **C** rounded to one decimal place.
 Block #4: The value of **C_rounded** is displayed.
 c) 377.8
- 3) a) These lines are *comments*. They are simply notes for reference or clarification. They are not needed for the program to run, but can be helpful to explain the intentions of the code.
 b) **x** and **y** c) 23
- 4) a) **n**, **P** and **P_rounded** b) squaring
 c) The purpose of line #8 is to round **P** to the nearest integer.
 d) The profit is:
 4460
 e) \$5900

```

1 # Set value for number of items sold.
2 n=200
3
4 # Calculate profit.
5 P=-0.1*n**2+64*n-4340
6
7 # Round the profit.
8 P_rounded=round(P)
9
10 # Print the profit.
11 print("The profit is:")
12 print(P_rounded,"dollars")
  
```

- 5) a)
- ```

1 # Set value for time.
2 t=1.5
3
4 # Calculate height.
5 h=-4.9*t**2-2*t+45
6
7 # Round the height.
8 h_rounded=round(h,1)
9
10 # Print the height.
11 print("The height is",h_rounded,"metres.")

```

b)

| Time (sec) | Height (m) |
|------------|------------|
| 0.0        | 45.0       |
| 0.2        | 44.4       |
| 0.4        | 43.4       |
| 0.6        | 42.0       |
| 0.8        | 40.3       |

| Time (sec) | Height (m) |
|------------|------------|
| 1.0        | 38.1       |
| 1.2        | 35.5       |
| 1.4        | 32.6       |
| 1.6        | 29.3       |
| 1.8        | 25.5       |

| Time (sec) | Height (m) |
|------------|------------|
| 2.0        | 21.4       |
| 2.2        | 16.9       |
| 2.4        | 12.0       |
| 2.6        | 6.7        |
| 2.8        | 1.0        |
| 3.0        | -5.1       |

- c) approximately 2.8 seconds
  - d) The negative height value indicates that the part had already hit the ground before a time of 3.0 seconds (the model is not valid for that time).
- 6) a) - The variable *s* is used before it is defined (used in line #1, but not defined until line #3).  
 - **\*\*** is used to denote an exponent (not **^**).  
 - The multiplication symbol (**\***) must be used on line #1 ( $4*s**3-100*s**2+600*s$ ).  
 - On line #6, the text *cubic centimetres* should be surrounded by quotation marks.
- b) Side length of square cutout: 2 centimetres  
 Volume of box: 832 cubic centimetres
- c) The maximum volume is achieved when the side length of the square cutouts is approximately 3.9 cm.

7) a)

```

1 # Set value for width.
2 w=150
3
4 # Calculate length.
5 l=(450-2*w)/2
6
7 # Print length.
8 print("The length is",l,"mm")

```

b)

```

1 # Set value for width.
2 w=150
3
4 # Calculate length.
5 l=(450-2*w)/2
6
7 # Calculate area.
8 A=l*w
9
10 # Print length and area.
11 print("The length is",l,"mm")
12 print("The area is",A,"sq mm")

```

c)

```

1 # Set value for width.
2 w=150
3
4 # Calculate area.
5 A=w*(450-2*w)/2
6
7 # Print area.
8 print("The area is",A,"sq mm")

```

- d) The maximum area is  $12\,656.25\text{ mm}^2$ , which occurs when the length and width are both 112.5 mm (a square).